

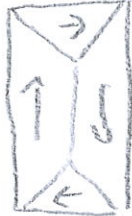
# 2 Hysteresis

## Review

Which 3 types of domain states do we know?



SD



PSD  
(vortex)



MD

What are the energies of SD & MD grains?

$$E_{SD} = -\mu_0 H M_s V \cos(\theta - \varphi) + \frac{1}{2} \mu_0 H_K M_s V \sin^2 \theta$$

$$E_{MD} = \underbrace{-2\mu_0 H M_s A x}_{\text{magneto static}} + \underbrace{2\mu_0 H_K M_s A^2 x^2}_{\text{demagnetizing}} + \underbrace{\gamma_w A(n-1)}_{\text{Domain wall}}$$

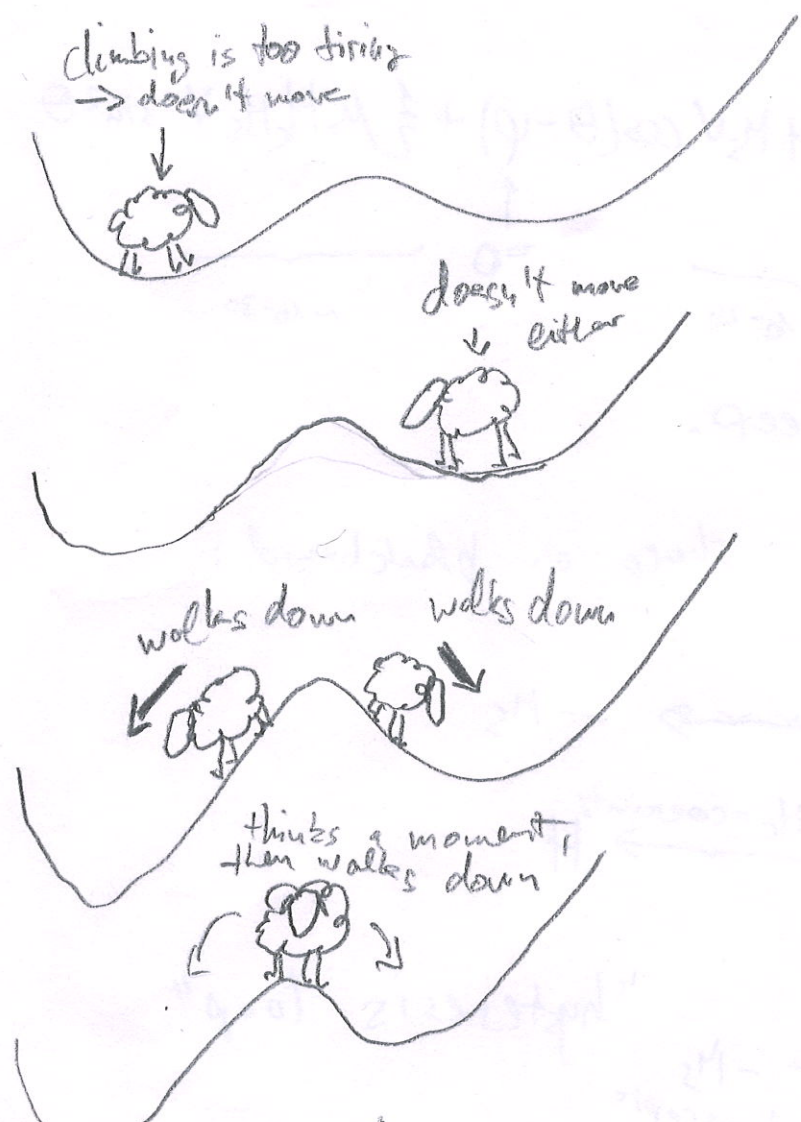
magneto static  
(external field)  
 $E_H$




demagnetizing  
(internal field)  
 $E_d$

Domain wall  
 $E_w$

Hysteresis: "memory effect" → the "state" of a system depends on its past.

# Sheep in the valley



$-M_s$                        $+M_s$   
 sheep =  magnetic moment  
 valley = energy

sheep always walk down into the next valley  
 the mag-moment always moves into the closest  
 energy minimum

Plot the energy of a SD grain in desmos.com,  
with slider H.



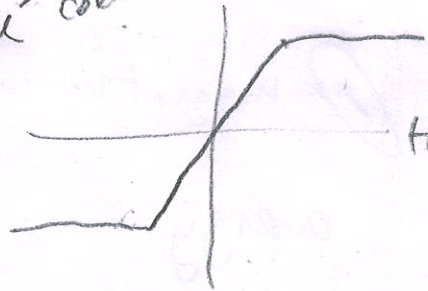
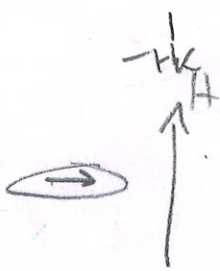
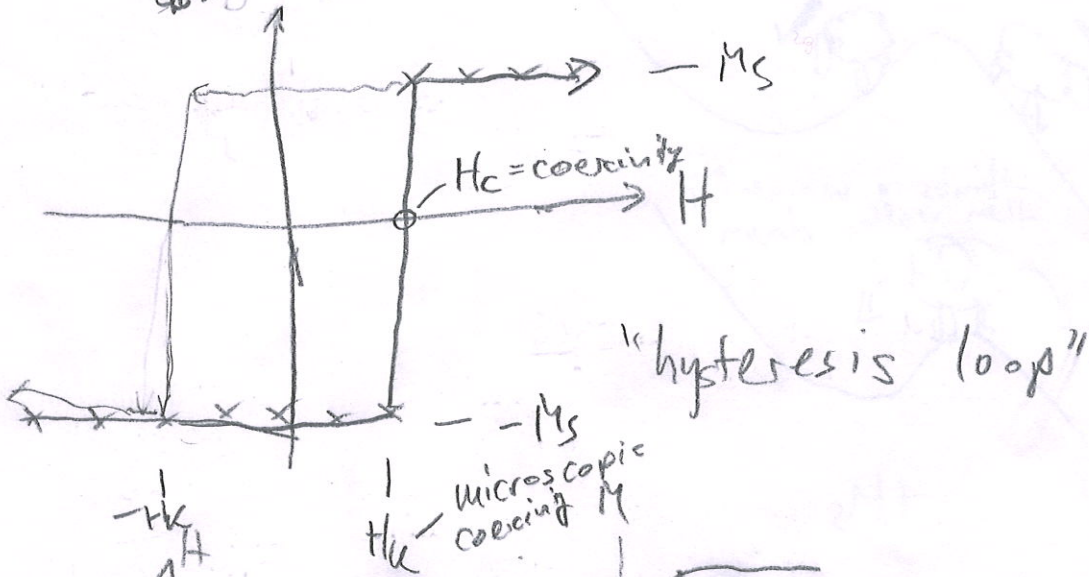
$$E_{SD} = \underbrace{-\mu_0 H M_s V}_{\sim 10^{-25}} \cos(\theta - \varphi) + \underbrace{\frac{1}{2} \mu_0 H_k M_s V}_{\sim 10^{-30}} \sin^2 \theta$$

$\uparrow$   
 $= 0$

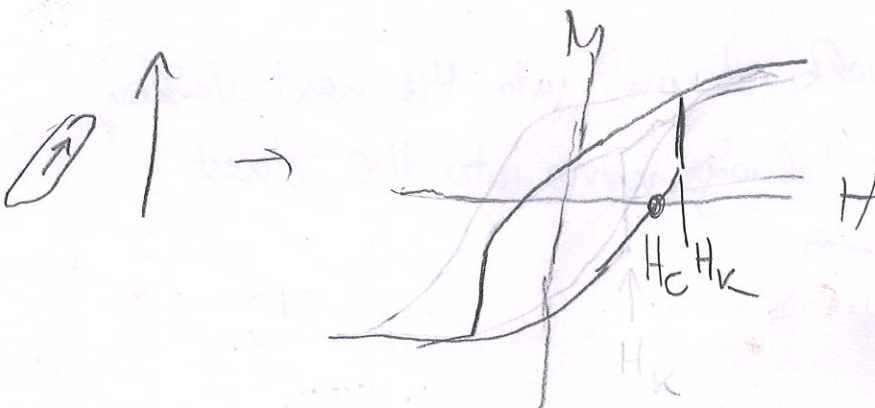
Volunteer plays sheep.

Plot movement of sheep on photoboard:

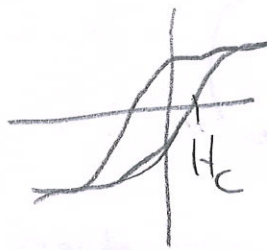
$$\theta = \theta = M$$



⇒ no hysteresis



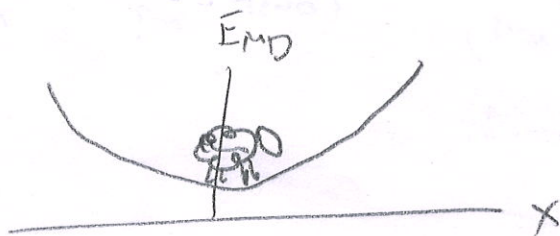
Sample with many randomly aligned particles:



Plot the energy of an MD grain:

$$E_{MD} = -2\mu_0 AM_s Hx + 2\mu_0 NA^2 M_s^2 x^2 + \mu_0 A(u-1)$$

$E_{MD}$



$\Rightarrow$  no hysteresis

But: Barkhausen jumps

